

REVIEW OF INDEPENDENT COMPONENT ANALYSIS AND ITS RECONFIGURABLE DESIGN

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Abstract

Independent component analysis (ICA) is essentially a method for extracting useful information from data. Independent component analysis finds underlying factors or components from multidimensional statistical data. ICA is distinguished from other methods in a way that, it looks for components that are both statistically independent, and non-gaussian. Since ICA algorithm is computationally complex and uses large volume of data sets, there is a need for technique that provides potentially faster and even real-time implementations for ICA algorithms for signal and image processing applications. Very large scale integration (VLSI) technology is a solution that provides Modularity, hierarchy, parallelism and satisfies these requirements. Reconfigurable modules play major role nowadays because they are highly reusable and ready to be retargeted to other ICA-related applications. However these solutions also have some limitations and Critical Challenges. This paper reviews basic concepts of ICA, existing methods of ICA, merits and demerits of its VLSI implementation. Though Review of ICA is done in several articles, review of ICA In VLSI, Major Challenges In ICA implementation is discussed in this paper in comprehensive manner.

Index Terms—FPGA , Review of ICA, Statistical signal processing, VLSI.

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I. INTRODUCTION TO ICA

ICA is related to conventional methods for analyzing large data sets, such as principal component analysis (PCA) and factor analysis (FA). Whereas ICA finds a set of independent source signals, PCA and FA find a set of signals with a much weaker property than independence. PCA would extract a set of uncorrelated signals from a set of mixtures. If these mixtures were microphone outputs then the extracted signals would simply be a new set of voice mixtures. In contrast, ICA would extract a set of independent signals from this set of mixtures, so that the extracted signals would be a set of single voices. ICA belongs to a class of blind source separation (BSS) methods for separating data into underlying informational components. Such data can take the form of images, sounds, telecommunication channels or stock market prices. The term “blind” is intended to imply that such methods can separate data into source signals even if very little is known about the nature of those source signals. When two people are speaking at the same time in a room containing two microphones and if each voice signal is examined at a fine time scale then it becomes apparent that the amplitude of one voice at any given point in time is unrelated to the amplitude of the other voice at that time. The reason that the amplitudes of the two voices are unrelated is that they are generated by two unrelated physical processes. If we know that the voices are unrelated then one key strategy for separating voice mixtures into their constituent voice components is to look for unrelated time-varying signals within these mixtures. Using this strategy, the extracted signals are unrelated, just as the voices are unrelated. Thus, each voice is unrelated to the others suggests a strategy for separating individual voices from mixtures of voices. This is the basic principle behind ICA. It can be used to separate not only mixtures of sounds, but mixtures of almost any type like electroencephalographic (EEG) signals, faces, fMRI data. The defining feature of the extracted signals is that each extracted signal is statistically independent of all the other extracted signals. This leads us to the following definition of ICA.

Given a set of observations of random variables $(x_1(t), x_2(t), \dots, x_n(t))$, where t is the time or sample index. Assuming that they are generated as a linear mixture of independent components, Independent component analysis now consists of estimating both the matrix A and the $s_i(t)$ when only $x_i(t)$ is observed as in (1).

$$\begin{pmatrix} x_1(t) \\ x_2(t) \\ \vdots \\ x_n(t) \end{pmatrix} = \mathbf{A} \begin{pmatrix} s_1(t) \\ s_2(t) \\ \vdots \\ s_n(t) \end{pmatrix} \quad (1)$$

It is assumed here that the number of independent components $s_i(t)$ is equal to the number of observed variables; this is a simplifying assumption that is not completely necessary. Alternatively, ICA is also defined as finding a linear transformation given by a matrix \mathbf{W} as in (2), so that the random variables $y(i)$ in (2) are as independent as possible.

$$\begin{pmatrix} y_1(t) \\ y_2(t) \\ \vdots \\ y_n(t) \end{pmatrix} = \mathbf{W} \begin{pmatrix} x_1(t) \\ x_2(t) \\ \vdots \\ x_m(t) \end{pmatrix} \quad (2)$$

This formulation is not really very different from the previous one, since after estimating \mathbf{A} , its inverse gives \mathbf{W} . The model in (1) can be estimated if and only if the components $s(i)$ are nongaussian. This is a fundamental requirement that also explains the main difference between ICA and factor analysis, in which the nongaussianity of the data is not taken into account. Since in factor analysis, data is modeled as linear mixtures of some underlying factors, ICA could be considered as nongaussian factor analysis.

II. ICA PREPROCESSING

One important fact about standard BSS methods such as ICA is, there must be at least as many different mixtures of a set of source signals as there are source signals. If the number of source signals is known to be less than the number of signal mixtures then the number of signals extracted by ICA can be reduced either by preprocessing signal mixtures using principal component analysis or by specifying the exact number of source signals to be extracted. It is highly recommended to perform preprocessing before applying the ICA algorithm in order to simplify the estimation process. The preprocessing of mixed signal involves finding the mixing matrix. Given a set of multivariate measurements, the purpose of preprocessing is to find a smaller set of variables with less redundancy that would give as good a representation as possible. The preprocessing of mixed signal involves Centering and whitening.

A. Centering

Centering converts mixture(X) input to a zero-mean signal by subtracting mean from the incoming signal(X) as in Fig 1

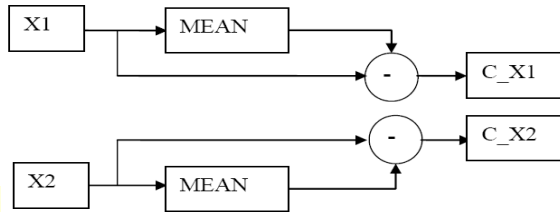


Fig.1. Implementation of Centering

B. Whitening

Whitening process transforms this zero mean X to a new vector Z whose components are uncorrelated with variances equal to unity. This process is carried out by Eigen Value Decomposition (EVD) of the Covariance Matrix (CX) of X.

III. ICA IN LITERATURE

A. Algebraic ICA Algorithm

The algorithm performs ICA by solving simultaneous equations derived from the definition of the independence. An algebraic solution to ICA is proposed by Taro Yamaguchi et al. in [17]. Absence of iterative calculation leads to reduction of processing time while the accuracy is maintained. The disadvantage of this algorithm is, it becomes extremely complex when the number of sources goes more than two. It works very fast for two sources separation.

B. Evolutionary ICA Algorithm

Evolutionary computation techniques are very popular population search based optimization methods. By evolutionary mechanism like Genetic Algorithms and Swarm intelligence, optimal separating matrix that minimizes the dependence can be obtained. The population based search methods like GA and PSO converge to a global optimum unlike the case of gradient based methods. GA has been used for nonlinear blind source separation in [20] and for noise separation from electrocardiogram signals in [21]. Particle swarm optimization (PSO) is used in ICA technique in [4]. Currently, several evolutionary optimization algorithms are used in ICA. The only disadvantage of evolutionary computation based ICA techniques is the heavy computational

complexity. But with the advent of highly parallel processors and new technologies, these methods provide competitive solutions to the problems.

C. Infomax Estimation or Maximum Likelihood Algorithm

Maximum likelihood (ML) estimation is based on the assumption that the unknown parameters to be estimated are constants or no prior information is available. Due to its asymptotic optimality properties, Infomax Estimation is a desirable choice when the number of samples is large. The parameters having highest probability for the observations act as the estimates. The simplest algorithm for maximizing the likelihood (also log-likelihood) is given by Bell and Sejnowski [7] by using stochastic gradient methods. The algorithm for ML estimation derived by Bell and Sejnowski is given in (4)

$$\Delta W \propto [W^T]^{-1} + E\{g(Wx)x^T\} \quad (4)$$

In the case of basic ICA, both these principles amount to multiplying the right side of above equation by WxW^T . This gives (5)

$$\Delta W \propto (I + E\{g(y)y^T\})W \quad (5)$$

where $y = Wx$. After this modification the algorithm needs no sphering. This algorithm can be interpreted as a special case of nonlinear decorrelation algorithm described in previous section.

A Newton method for maximizing the likelihood has been introduced in [8]. Infomax principle is a very closely related maximum likelihood estimation principle for ICA. This is based on maximizing the output entropy or information flow of a neural network with nonlinear outputs. Hence it is named as infomax.

D. Non-linear cross correlation based Algorithm:

Principle of cancellation of non-linear cross correlation is used to estimate independent components in [1]. Non-linear cross correlations are of the form $E\{g_1(y_i), g_2(y_j)\}$ where g_1 and g_2 are some suitably chosen nonlinearities. If y_i and y_j are independent, then these cross correlations are zero for y_i and y_j having symmetric densities. Jutten and Herault used this principle in [2] to update the non-diagonal terms of the matrix W which is given in (6).

$$\Delta W_{ij} \propto g_1(y_i)g_2(y_j) \text{ for } i \neq j \quad (6)$$

Y_i are computed at every iteration and after convergence, Y_i give the estimates of the independent components. However the algorithm converges only under severe restrictions [3].

E. Nonlinear Decorrelation Algorithm

To reduce the computational overhead by avoiding matrix inversions in [2] and to improve stability, following algorithm has been proposed [5] for weight vector updation as in (7).

$$\Delta W \propto (I - g_1(y)g_2(y^T))W \quad (7)$$

where, the nonlinearities $g_1(\cdot)$ and $g_2(\cdot)$ are applied separately on every component of the vector, and the identity matrix is replaced by any positive definite diagonal matrix. EASI algorithm has been proposed in [6]. According to EASI weight vector is updated as in (8),

$$\Delta W \propto (I - yy^T - g(y)y^T + yg(y^T))W \quad (8)$$

The choice of the nonlinearities used in above rules is generally provided by the maximum likelihood or infomax approach.

F. Nonlinear PCA Algorithm

Another approach to ICA that is related to PCA is the non-linear method. This is sought for the input data that minimizes a least mean square error criterion. For linear case principal components are obtained and in some cases the nonlinear PCA approach gives independent components. In [9], the following version of a hierarchical PCA learning rule is introduced which is given in (9).

$$\Delta w \propto g(y_i)x - g(y_i)\sum_{j=1}^i g(y_j)w_j \quad (9)$$

where g is a suitable non-linear scalar function. Algorithms for exactly maximizing the nonlinear PCA criteria are introduced in [10].

G. Gradient Descent One-Unit Neural Learning Rules:

Using the principle of stochastic gradient descent, Simple algorithms from the one-unit contrast functions are derived. Considering whitened data, Hebbian like learning rule [11][12] is obtained by taking instantaneous gradient of contrast function with respect to w using (10)

$$\Delta w \propto [E\{G(w^T x)\} - E\{G(v)\}]xg(w^T x) \quad (10)$$

Such one unit algorithms are proposed in [13] using kurtosis. For estimation of several independent components, system of several units is needed.

H. Tensor based ICA Algorithm

Estimation of independent components can also be done using higher-order cumulant tensors. Tensors are generalizations of matrices, or linear operators. Cumulant tensors are then generalizations of the covariance matrix C_x . The covariance matrix is the second order cumulant tensor, and the fourth order tensor is defined by fourth-order cumulants. Eigenvalue decomposition (EVD) is used to whiten the data.

Joint approximate diagonalization of eigenmatrices (JADE) proposed by Cardoso [14] is based on the principle of computing several cumulant Tensors. Due to the computational complexity of explicit tensor EVD, JADE is restricted to small dimensions. It is inferior to methods using likelihood or non-polynomial cumulants [15]. However, with low dimensional data, JADE is a competitive alternative to most popular FastICA algorithm.

A similar and simpler approach that uses the EVD is the fourth-order blind identification (FOBI) method [16]. This deals with the EVD of the weighted correlation matrix. It is of reasonable complexity, and is probably the most efficient of all the ICA methods. However, it fails to separate the sources when they have identical kurtosis. There are also other approaches that include maximization of squared cumulants [18], and fourth-order cumulant based methods [19].

I. Fast ICA Algorithm

One of the most popular solutions for BSS problem is Fast ICA [8] due to its simplicity and fast convergence. The Fast ICA learning rule finds a \mathbf{w} such that the projection $\mathbf{w}^T \mathbf{x}$ maximizes contrast function. Nongaussianity is measured by the approximation of contrast function, negentropy. The basic algorithm involves the preprocessing and a fixed-point iteration scheme for one unit. The independent components (ICs) can be estimated one by one using deflationary approach or can be estimated simultaneously. In the deflationary approach, it must be ensured that the rows w_j of the separating matrix W are orthogonal. This can be done after every iteration step by subtracting from the current estimate w_p the projections of all previously estimated with a kurtosis based contrast function. FastICA can be shown to converge globally to the IC's [12].

J. Modified Independent Component Analysis

A new automatic method is introduced to eliminate electrocardiogram (ECG) noise in an electroencephalogram (EEG) or electrooculogram (EOG) [39]. It is based on a modification of the

independent component analysis (ICA) algorithm which gives promising results while using only a single-channel electroencephalogram (or electrooculogram) and the ECG.

K. Recursively Regularized ICA

A new method of frequency-domain blind source separation (FD-BSS), able to separate acoustic sources under highly reverberant challenging conditions is proposed [29]. In frequency-domain BSS, the separation is generally performed by applying independent component analysis (ICA) at each frequency envelope.

L. ICA By Entropy Bound Minimization

A novel independent component analysis (ICA) algorithm that uses the entropy estimate is proposed in [30]. ICA is done by entropy bound minimization (ICA-EBM). A novel (differential) entropy estimator is used to approximate the entropy. This algorithm adopts a line search procedure, and initially uses updates that constrain the demixing matrix to be orthogonal for robust performance. It has the ability to match sources that come from a wide range of distributions

M. Wavelet ICA

Due to some limitations of manual rejection like requirement of man power and time, Automatic artifact rejection is needed for effective real time artifact removal. In this paper [33], a novel Automatic Wavelet Independent Component Analysis for automatic EEG artifact removal is Proposed. AWICA is based on the joint use of the Wavelet Transform and ICA. It is a two-step procedure relying on the concepts of kurtosis and Renyi's entropy. The method here proposed is shown to yield improved success in terms of suppression of artifact components while reducing the loss of residual informative data.

N. Binary ICA With OR Mixtures

The classical independent components analysis (ICA) framework usually assumes linear combinations of independent sources over the field of real-valued numbers. Binary ICA for OR mixtures (bICA) is proposed in this paper [34], which can find applications in many domains including medical diagnosis, multi-cluster assignment, Internet tomography and network resource management. a deterministic iterative algorithm to determine the distribution of the latent random variables and the mixing matrix.

O. Discriminant Independent Component Analysis

A conventional linear model based on Negentropy Maximization may not be optimal to give a discriminant model with good classification performance. In [35], a single-stage linear semisupervised extraction is proposed to project multivariate data linearly to a lower dimension where the features are maximally discriminant with minimal redundancy. The optimization problem is formulated as the maximization of linear summation of Negentropy and weighted functional measure of classification. Fisher linear discriminant is used as the functional measure of classification. Experimental results show improved classification performance when *dICA* features are used for recognition tasks in comparison to unsupervised and supervised feature extraction techniques .

P. Convex Divergence ICA for Blind Source Separation

A novel contrast function for evaluating the dependence among sources is presented. A convex divergence ICA (C-ICA) is constructed and a nonparametric C-ICA algorithm is derived with different convexity parameters where the non-Gaussianity of source signals is characterized by the Parzen window-based distribution[36]. This specialized C-ICA significantly reduces the number of learning epochs during estimation of the demixing matrix. The convergence speed is improved by using the scaled natural gradient algorithm. When Experiment is done with instantaneous, noisy and convolutive mixtures of speech , music signals, the superiority of the proposed C-ICA to JADE, Fast-ICA, and the nonparametric ICA based on mutual information is well illustrated.

In this paper Auditory evoked potential (AEP) recordings have been analyzed using independent component analysis (ICA) and variation in performance of different ICA algorithms used is observed in[31]. All the algorithms estimate the CI artifact reasonably well, although only one SOS algorithm is better positioned to estimate the AEP since it uses the temporal structure of this signal as part of the ICA process

A new approach of artifact removal using *S*-transform (ST) is proposed in [37]. It provides an instantaneous time-frequency representation of a time-varying signal. It generates high magnitude *S*-coefficients at the instances of abrupt changes in the signal.

Time-domain algorithms for blind separation of audio sources can be classified as being based either on a partial or complete decomposition of an observation space. The decomposition, is

mostly done under a constraint to reduce the computational burden. However, this constraint potentially restricts the performance. A novel time-domain algorithm based on a unconstrained decomposition of the observation space is proposed in [38]. The decomposition is done by an appropriate independent component analysis(ICA) algorithm independent components are grouped into clusters corresponding to the original sources. After estimating the responses of the original sources, the Components of the clusters are combined by a reconstruction procedure.

A novel method for deflationary ICA, referred to as Robust ICA, is put forward in [28]. This technique performs exact line search optimization of the kurtosis contrast function. The step size leading to the global maximum of the contrast along the search direction is found among the roots of a fourth-degree polynomial. This polynomial rooting is performed algebraically, at low cost, at each iteration. RobustICA deals with real- and complex-valued mixtures of possibly noncircular sources and it avoids prewhitening. Asymptotic performance is improved due to the absence of prewhitening. The algorithm shows a very high convergence speed in terms of the computational cost required to reach extraction quality.

IV. RECONFIGURABLE SOLUTIONS FOR ICA

Fixed-point VLSI architecture for 2-Dimensional Kurtotic FastICA with reduced and optimized arithmetic units, was proposed by Amit Acharyya, Koushik Maharatna[21]. The efficiency is achieved through removal of division operation for eigenvector computation, replacement of division operations by multiplications and reduction of number of multipliers and adders for whitening matrix computation. The numerical error issue associated with the finite wordlength representation of fixed-point Arithmetic is solved by introducing suitable Scaling Factors (SF) and internal data-bus width variability wherever necessary. However, the impact of different algorithmic parameters like framelength, convergence threshold, are need to be investigated which may lead to further architectural optimization.

Comparative study of implementation of ICA algorithm on a fixed point platform with respect to floating point processor is done in [22]. The accuracy and speed were found to be acceptable. In addition, the fixed point processor needs less space and consumes less power. But fixed point processor can handle only smaller range of real values. More work needs to be done in this direction to embed these codes in portable consumer devices, without further deterioration of energy efficiency.

Due to the computation complexities and convergence rates, ICA is very time-consuming for high volume or dimension data set like hyperspectral images. Hardware implementation provides not only an optimal parallelism environment, but also a potential faster and real-time solution. Synthesis of a parallel ICA (pICA) algorithm for Field Programmable Gate Array (FPGA) implementation is proposed in [23]. In this proposed method, the pICA is partitioned into three temporally independent functional modules, and each of them is synthesized individually. All these modules are developed for reuse and retargeting purpose. All modules are then integrated into a design and development environment for performing FPGA synthesis, optimization, placement and routing. Synthesis of the pICA algorithm for hyperspectral image dimensionality reduction. The FPGA executes at the maximum frequency of 20.161MHz. The performance comparisons between the proposed and another two ICA-related FPGA implementations showed that the FPGA implementation of pICA has potential in performing complicated algorithms on large volume data sets.

FPGA implementation of digital chip is reported with modular design concept in [24]. An field programmable gate array (FPGA) implementation of independent component analysis (ICA) algorithm is reported for simultaneous ANC and BSS operations for speech enhancement in real time. In order to provide enormous computing power for ICA-based algorithms, a special digital processor is designed and implemented in FPGA. The chip design fully utilizes modular concept and several chips may be put together for complex applications with a large number of noise sources. Experiments done for ANC only, BSS only, and simultaneous ANC/BSS, demonstrates successful speech enhancement in real time. The chip is capable of up to 32-channel convolutive BSS/ANC. Experimental results with the FPGA and a test board for simultaneous two-channel BSS and four-channel

ANC demonstrate that the final SNRs is about 16 dB, which is good enough for robust speech-recognition systems .

Gradient flow is a signal conditioning technique for source separation and localization suited for arrays of very small aperture, *i.e.*, of dimensions significantly smaller than the shortest wavelength in the sources. A mixed-signal VLSI system that operates on spatial and temporal differences of the acoustic field at very small aperture to separate and localize mixtures of traveling wave sources is presented in [25]. Various analog VLSI implementations of ICA exist in

the literature. Since digital adaptation offers the flexibility of reconfigurable ICA learning rules, digital implementations using DSP are common practice in the field. Miniature size of the microphone array enclosure (1 cm dia) and micro-power consumption of the VLSI hardware (250uW) are key advantages of the approach, with applications to hearing aids, conferencing, multimedia, and surveillance.

Among the various available BSS methods, Independent Component Analysis is one of the representative methods. A practical method using a parallel algorithm and architecture for hardware use in a blind source separation is investigated and a feedback network for real-time speech signal processing is designed in [26]. Since the network architecture is systolic, it is suitable for parallel processing. This paper covers the process from the systolic design of BSS to the hardware implementation using Xilinx FPGAs. The simulation results of this implementation returns satisfying results with robust qualities. This scheme is fast, reliable since the architectures are highly regular and in addition the processing can be done in real time.

The FPGAs based on the reconfiguration technology provide most economic and efficient solutions to ICA algorithms[27]. This is because end users can modify and configure their designs multiple times. Specifically, recent rapid increase in the density of FPGAs has made it possible to implement large ICA designs in very efficient approach. Large amount of available standard libraries makes the design expense much cheaper and the design process much faster. The digital nonprogrammable ASICs such as standard-height library and mask gate arrays are also used to implement designs at high circuit density

V. CONCLUSION

Thus basic concepts of ICA, survey of existing ICA techniques including VLSI implementation is reviewed in ample way. Since real time operation of ICA is most important nowadays Reconfigurable modules of ICA play significant role in all- inclusive applications. Though there are some limitations in VLSI implementation, Compromise is needed due to design constraints. When speed is increased, there is a increase in area which can somewhat be compensated by adopting parallelism. Once Critical challenges and issues associated with the VLSI implementation of ICA algorithms are identified, high potential complicated ICA algorithms on large throughput can be provided

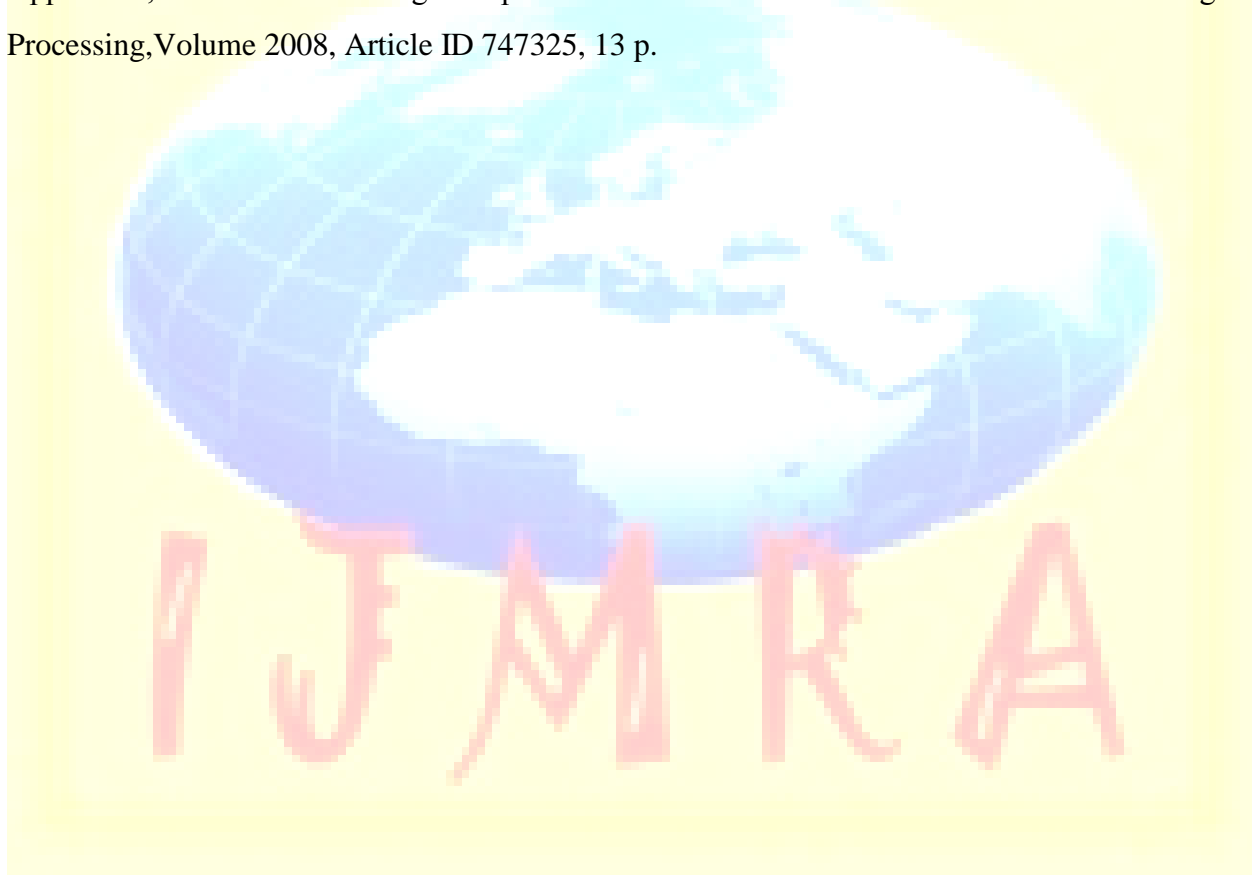
REFERENCES

- [1] E.Oja, "Nonlinear PCA criterion and maximum likelihood in independent component analysis", Proc. Int. Workshop on Independent Component Analysis and Signal separation (ICA'99), pp.143-148, Aussois, France, 1999.
- [2] C.Jutten and J.Herault, "Blind separation of sources, part I: An adaptive algorithm based on neuromimetic architecture, Signal Processing", 24:1-10, 1991.
- [3] N.Delfosse and P.Loubaton, "Adaptive blind separation of independent sources: a deflation approach", Signal Processing, 45:59-83, 1995.
- [4] F.Rojas, C.G.Puntonet, M.Rodriguez-Alvarez, I.Rojas, and R.Martin-Clemente, "Blind Source separation in post-nonlinear mixtures using competitive learning, simulated annealing and a genetic algorithm", IEEE Trans. On Systems, Man and Cybernatics –Part C: Applications and Reviews, vol.34, no.4, pp.407-416, Nov. 2004.
- [5] A.Cichocki et al., "Robust Neural Networks with on line biasing for blind identification and blind source separation," IEEE Trans. On Circuits and Systems, vol-43, no.11, pp.894-906, 1996.
- [6] J.F.Cardoso and B.H.Laheld, "Equivariant adaptive source separation", IEEE Trans. On Signal Processing, vol-44, No.12, pp.3017-3030, 1996.
- [7] A.J.Bell and T.J.Sejnowski, "An information-maximization approach to blind separation and blind deconvolution", Neural Computation, 7, pp.1129-1159, 1995.
- [8] A.Hyvarinen, "Fast and Robust Fixed-point Algorithm for Independent Component Analysis", IEEE Trans. on Neural Networks, vol-10, No.3, pp.626-634, 1999a.
- [9] E.Oja, H.Ogawa, and J.Wangviwattana, "Learning in nonlinear constrained Hebbian networks", T.Kohonen et al., editor, Artificial Neural Networks, Proc. ICANN'91, pp. 385-390, Espoo, Finland, 1991.
- [10] E.Oja, "Nonlinear PCA criterion and maximum likelihood in independent component analysis", Proc. Int. Workshop on Independent Component Analysis and Signal separation (ICA'99), pp.143-148, Aussois, France, 1999
- [11] H. Hotelling. "Analysis of a complex of statistical variables into principal components, Journal of Educational Psychology", 24:417-441, 498-520, 1933.
- [12] A. Hyvarinen and E. Oja "A fast fixed-point algorithm for independent component analysis", Neural Computation, 9, pp.1483-1492, 1997.

- [13] T.Kohonen, "Self Organizing Maps", Springer-Verlag, Berlin, Heidelberg, New York, 1995.
- [14] J.F. Cardoso and A. Souloumiac. "Blind beamforming for non Gaussian signals. IEE Proceedings", 140(6), pp.362–370, 1993.
- [15] A. Hyverinen., J.Kahrunen. and E. Oja, "Independent Component Analysis", John Wiley & Sons, 2001
- [16] J.F.Cardoso "Source separation using higher order moments", Proc. of the IEEE Int. Conf on Acoustics, Speech and Signal Processing (ICASSP 1989), pp. 2109–2112, Glasgow, UK, May 1989.
- [17] T.Yamaguchi, I. Kuzuyoshi., "An Algebraic Solution to Independent Component Analysis", Optics Communications, Elsevier Science, 178, pp.59-64, 2000.
- [18] F. Herrmann and A. K. Nandi, "Maximisation of squared cumulants for blind source separation" Electronics Letters, 36(19), pp.1664–1665, 1996.
- [19] A. K. Nandi and V. Zarzoso, "Fourth-order cumulant based blind source separation", IEEE Signal Processing Letters, 3(12), pp.312–314, 1996.
- [20] Y.Tan and J.Wang," Nonlinear Blind Source Separation Using Higher Order Statistics and a Genetic Algorithm", IEEE Trans. On Evolutionary Computation, vol.5, No.6, pp.600-611, Dec. 2001.
- [21] Amit Acharyya, Koushik Maharatna,"Hardware Efficient Fixed-Point VLSI Architecture for 2D Kurtotic FastICA", IEEE 2009
- [22] Dinesh Patil, Niva Das¹, Aurobinda Routray² ,"Implementation of Fast-ICA: A Performance Based Comparison Between Floating Point and Fixed Point DSP Platform", Measurement Science Review, Volume 11, No. 4, 2011
- [23] Hongtao Du and Hairong Qi," A Reconfigurable FPGA System for Parallel Independent Component Analysis". Hindawi Publishing Corporation EURASIP Journal on Embedded Systems Volume 2006, Article ID 23025, Pages 1–12
- [24] Chang-Min Kim, Hyung-Min Park, Taesu Kim, Yoon-Kyung Choi, and Soo-Young Lee,"FPGA Implementation of ICA Algorithm for Blind Signal Separation and Adaptive Noise Canceling," IEEE Transactions On Neural Networks, Vol. 14, No. 5, September 2003
- [25] Abdullah Celik, Milutin Stanacevic and Gert Cauwenberghs,"Gradient Flow Independent Component Analysis in Micropower VLSI".

- [26] H. Jeong, Y. Kim, H. J. Jang, "Adaptive Parallel Computation for Blind Source Separation with Systolic Architecture", *Intelligent Information Management*, 2010, 2, 46-52
- [27] Hongtao Du, Hairong Qi and Xiaoling Wang, "Comparative Study of VLSI Solutions to Independent Component Analysis" *IEEE Transactions On Industrial Electronics*, Vol. 54, No. 1, February 2007.
- [28] Vicente Zarzoso, Pierre Comon "Robust Independent Component Analysis by Iterative Maximization of the Kurtosis Contrast With Algebraic Optimal Step Size", *IEEE Transactions On Neural Networks*, Vol. 21, No. 2, February 2010
- [29] Francesco Nesta, Piergiorgio Svaizer, and Maurizio Omologo, "Convolutional BSS of Short Mixtures by ICA Recursively Regularized Across Frequencies", *IEEE Transactions On Audio, Speech, And Language Processing*, VOL. 19, NO. 3, MARCH 2011
- [30] Xi-Lin Li and Tülay Adalı, "Independent Component Analysis by Entropy Bound Minimization", *IEEE Transactions On Signal Processing*, VOL. 58, NO. 10, OCTOBER 2010
- [31] Norma Castañeda-Villa, Christopher J. James, "Independent Component Analysis for Auditory Evoked Potentials and Cochlear Implant Artifact Estimation", *IEEE Transactions On Biomedical Engineering*, VOL. 58, NO. 2, February 2011
- [32] John W. Kelly, Daniel P. Siewiorek, Asim Smailagic, Jennifer L. Collinger, Douglas J. Weber, and Wei Wang, "Fully Automated Reduction of Ocular Artifacts in High-Dimensional Neural Data", *IEEE Transactions On Biomedical Engineering*, VOL. 58, NO. 3, MARCH 2011
- [33] Nadia Mammone, Fabio La Foresta and Francesco Carlo Morabito, "Automatic Artifact Rejection From Multichannel Scalp EEG by Wavelet ICA", *IEEE Sensors Journal*, Vol. 12, No. 3, March 2012
- [34] Huy Nguyen and Rong Zheng, "Binary Independent Component Analysis With OR Mixtures", *IEEE Transactions On Signal Processing*, Vol. 59, No. 7, July 2011
- [35] Chandra Shekhar Dhir and Soo-Young Lee, "Discriminant Independent Component Analysis" *IEEE Transactions On Neural Networks*, Vol. 22, No. 6, June 2011
- [36] Jen-Tzung Chien, Hsin-Lung Hsieh, "Convex Divergence ICA for Blind Source Separation", *IEEE Transactions On Audio, Speech, And Language Processing*, Vol. 20, No. 1, January 2012

- [37] Kedarnath Senapati, Aurobinda Routray,” Comparison of ICA and WT with *S*-transform based method for removal of ocular artifact from EEG signals”, J. Biomedical Science and Engineering, 2011, 4, 341-351
- [38] Zbyněk Koldovský and Petr Tichavský,” Time-Domain Blind Separation of Audio Sources on the Basis of a Complete ICA Decomposition of an Observation Space”, IEEE Transactions On Neural Networks, Vol. 21, No. 2, February 2010
- [39] Stephanie Devuyst, Thierry Dutoit, Patricia Stenuit, Myriam Kerkhofs, and Etienne Stanus3,”Cancelling ECG Artifacts in EEG Using a Modified Independent Component Analysis Approach”,Hindawi Publishing Corporation EURASIP Journal on Advances in Signal Processing,Volume 2008, Article ID 747325, 13 p.



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